3. Errata to ‘On a Generalized Logic Calculus’*

By

Gaisi TAKEUTI

Pages	Lines	Errata	Corrections
40	23	$<(1, 1) \cdot [*_1, *_3]$,	$<(1, 1) [*_1, *_2]$,
	29	fnctions of type $(n_1, \dots, n_*)$	functions of type $(n_1, \dots, n_i)$
	40	we shall concepts	we shall define concepts
	42	combination	combinations
41	4	$\alpha(n_i+1, \dots$	$\alpha(n_1+1, \dots$
	5	$\alpha(n_i+1, \dots$	$\alpha(n_1+1, \dots$
	6	$\sigma(n_i+1_i \dots$	$\sigma(n_1+1, \dots$
	18	that $\varphi^i(n_j)$	that $\varphi^j(n_j)$
	26	where $\alpha(n_i, \dots$	where $\alpha(n_1, \dots$
42	11	[$\dots$,]	[$\dots$,]
	18	formcla	formula
43	4	in $\mathfrak{F}(\alpha)$, and φ, ψ, α	in $\mathfrak{F}(\alpha)$ and p must not be contained in $\mathfrak{G}(f)$, and φ, ψ, α
	13	to $\mathfrak{F}(\alpha^1, \dots$	to $\mathfrak{F}(\alpha^1, \dots$
44	5	$\oplus_k(\alpha(k))$	$\oplus_k(\beta(k))$
	6	$\oplus_{k+1}(\alpha^{(k+1)})$	$\oplus_{k+1}(\alpha(k+1))$
	7	to 2.3 and 2.6.	to 2.6.
	13	is meant by the	means the
	19	The homology class of the so	The so
	28	figure $A\binom{V_1}{\alpha}\binom{V_2}{\alpha_2}\dots\binom{V_n}{\alpha_n}$.	figure $\left(\dots\left(\left(A\binom{V_1}{\alpha_1}\right)\binom{V_2}{\alpha_2}\right)\dots\right)\binom{V_n}{\alpha_n}$.
	39	$Eq\mathfrak{G}(r)$	$Eq\mathfrak{G}(q)$
45	3	If $\mathfrak{U}$ is	If $\mathfrak{B}$ is
	3	then $\mathfrak{U}(\alpha)$ is	then $\mathfrak{B}(\alpha)$ is
	34	$\{\mathfrak{G}(\alpha) \vee \{\mathfrak{G}(\alpha)\}$	$\{\mathfrak{B}(\alpha)\} \vee \{\mathfrak{G}(\alpha)\}$
46	15	variables ank the	variables and the
48	38	$\mathfrak{B}$ has no indicated place,	$\mathfrak{B}$ has no f ,
49	9	$\mathfrak{F}(\psi_1, \dots, \psi_n)$	$\mathfrak{F}(\psi_1, \dots, \psi_m)$
	16	type $n_1 \dots$	type $(n_1, \dots$
	19	other that	other than
	41	variety of a functional	variety or a functional
	42	type as U_i	type as u_i
50	1	variety of	variety or
	5	$A(u) \binom{v}{u}$	$A(u) \binom{v}{u}$
	21	5.5.6	5.6

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50	27	If $\mathfrak{A}_1, \dots, \mathfrak{A}_s,$	If $\mathfrak{A}_1, \dots, \mathfrak{A}_\mu,$
	Fig.	$\frac{S_1, \dots, S_y}{S}$	$\frac{S_1 \dots S_y}{S}$
51	12	‘Logistischer-Kalkül’	‘Logistischer klassischer Kalkül’
52	2nd Fig.	$\Gamma \rightarrow \Delta, \angle \mathfrak{A}$	$\Gamma \rightarrow \Delta, \nearrow \mathfrak{A}$
	last Fig.	$(p(n_1, \dots, n_1))$	$(p(n_1, \dots, n_i))$
53	Fig.	$\mathfrak{F}(a) \rightarrow \forall x \mathfrak{F}(x)$	$\forall x \mathfrak{F}(x) \rightarrow \mathfrak{F}(a)$
	38	If N is one,	If N -is zero,
54	6	5.54	5.5.4
	2nd Fig.	$\dots, \mathfrak{B}_m$ Version	$\dots, \mathfrak{B}_m$ Version
		$\dots, \mathfrak{B}_m$	$\dots, \mathfrak{B}_m$
55	6	A is an arbitrary	A^r is an arbitrary
	15	$A(F)$	$A^r(F)$
	22	$\forall p(\mathfrak{G})$	$\forall q(\mathfrak{G})$
	24	$n(p)$	$\mathfrak{A}(p)$
	24	$\dots, i$	$\dots, n_i$
	24	$\wedge \mathfrak{A}_i(q),$	$\wedge \mathfrak{A}^r(q),$
	25	$\dots, n >$	$\dots, n_i >$
	35	$\dots, V_1^r).$	$\dots, V_n^r).$
	40	$\alpha_1[\mathfrak{B}_1(\alpha_1, \dots$	$\alpha_1[\mathfrak{B}_1(\alpha_1, \dots$
56	11	is $\mathfrak{B}_i(V_1^r, \dots$	is $\mathfrak{B}_i^r(V_1^r, \dots$
	21	variety of a functional	variety or a functional
	24	Let Γ be	7.4. Let Γ be
	42	denoted	denotes
57	Fig.	$\frac{\Gamma' \rightarrow \Delta'}{\Gamma' \rightarrow \Delta'}$	$\frac{\Gamma'' \rightarrow \Delta}{\Gamma' \rightarrow \Delta}$
	27	$\Gamma' \rightarrow \Delta'$ here.	$\Gamma' \rightarrow \Delta$ here.
	31	$cl(f^M)\tilde{\Gamma},$	$cl(f^M), \tilde{\Gamma},$
	35	$cl(f')$	$cl(f^1)$
58	10	$cl(f')$	$cl(f^1)$
	10	$\forall_\varphi cl$	$\forall \varphi cl$
	12	$ct(f')$	$cl(f^1)$
	12	${}^r\Gamma \rightarrow \Delta^r.$	$\Gamma^r \rightarrow \Delta^r.$
	19	$\Gamma_0, A_1, \dots, A_N \rightarrow$	$\Gamma_0, A_1^r, \dots, A_N^r \rightarrow$
	21	$cl(\varphi^1)$	$cl(\varphi^1)$
	32	$A_N^{e()}$	$A_N^{e()}$
	33	$A^N.$	$A_N.$
	35	$\forall \varphi_1, \dots, \forall \varphi_i$	$\forall \varphi_1 \dots \forall \varphi_i$
	37	$k=l, \dots$	$k=1, \dots$
61	13, 15, 25, 27	$\dots, A_N$	$\dots, A_N,$

Pages	Lines	Errata	Corrections
61	23	$T(\psi^1, \dots$	$V(\psi^1, \dots$
	31	If l is zero,	If l is one,
	36	only the on	only the case on
	38	$\dots, \varphi^n,$	$\dots, \gamma^n,$
62	1, 10, 26	γ'	γ^1
	3, 5	$cl(\xi)$	$cl(\xi),$
	7, 9, 16, 22, 29, 35	$\dots, A_N$	$\dots, A_N,$
	8	$cl(\xi)$	$cl(\xi)$
	15, 28	$j(l \leq j$	$j(1 \leq j$
	20	$\mathfrak{A}(\gamma^1, \dots$	$\mathfrak{A}^r(\gamma^1, \dots$
	25, 32	g'	g^1
	30	$, \gamma^m) \equiv V_j^r$	$, \gamma^m) \equiv V_j^{r*}$
	32	δ'	δ^1
	33	$, \gamma^m) = V^r$	$, \gamma^m) \equiv V^r$
63	1	$\gamma^m) \mathfrak{A}^r(\delta^1$	$\gamma^m) \equiv \mathfrak{A}^r(\delta^1$
	10	tpe	the
	12, 15	$\dots, A_N$	$\dots, A_N,$
	16	$\gamma' \equiv \delta'$	$\gamma^1 \equiv \delta^1$
	17	$\gamma', \dots$	$\gamma^1, \dots$
	19	$cl(\beta'), \dots, cl(g'),$	$cl(\beta^1), \dots, cl(g^1),$
	26	$k+1$ ($k=0,$	$m+1$ ($m=0,$
	31	7.4.	7.14.
	34	$\equiv \psi^k \vdash \varphi[\varphi^1, \dots, \varphi^l] \vdash \varphi[\psi^1, \dots, \psi^l]$	$\equiv \psi^k \vdash (\varphi[\varphi^1, \dots, \varphi^l] \vdash \varphi[\psi^1, \dots, \psi^l]) \}$
	38	$m_j+1).$	$m_j+1).$
64	3	$\Gamma_e, A_1, \dots$	$\Gamma_e, A_1, \dots$
	23	the axioms	axioms
	30	$Ey \forall \varphi(1, \dots, 1) E\psi$	$Ey, \forall \varphi(1, \dots, 1), E\psi$
	33	$n_i+1)(\sigma)$	$n_i+1 > (\sigma)$
	37	onsistent $A_1, \dots, A_N$	consistent; $A_1, \dots, A_N$
	38	Γ_a is denoted by the	Γ_a denotes the
	44	Γ_a and Γ_e are	Γ_a, Γ_e is
65	1	7.15 and 7.16.	7.15 or 7.16.
	8	$\forall p(n+1)$	$\forall \varphi(n+1)$
	8(3), 13, 14(3)	φ'	φ^1
	8(2), 13, 14	ψ'	ψ^1
	16(2), 18(2), 22(2)	α'	α^1
	16(2), 18(2), 20(2), 22(2)	β'	β^1

Pages	Lines	Errata	Corrections
65	18	$\gamma[\beta', \beta^2]$.	$\gamma[\beta^1, \alpha^2]$
	32	$\forall y \varphi[y]$	$\forall y (e(y) \wedge \varphi[y])$
66	9	$(\varphi') \vdash \vdash [\psi']\}$	$(\varphi[\varphi^1] \vdash \vdash \varphi[\psi^1])\}$
	13	$\forall \varphi \forall \varphi' \forall \psi' \{ \varphi' \equiv \psi' \vdash (\varphi[\varphi'] \vdash \vdash \varphi[\psi']) \}$	$\forall \varphi \forall \varphi^1 \forall \psi^1 \{ \varphi^1 \equiv \psi^1 \vdash (\varphi[\varphi^1] \vdash \vdash \varphi[\psi^1]) \}$
67	16	anarbitrary	an arbitrary
	18	prevable	provable
	24	$(\mathfrak{B}(F))$	$(\mathfrak{F}(F))$
	30	sases	cases
	32	$\{\psi\} \mathfrak{A}(\alpha_1, \dots, \alpha_i)$.	$\{\psi\} \mathfrak{A}(\alpha_1, \dots, \alpha_i, \psi)$.
68	19	other case are	other cases are
	26	$(F^r]$	$(F^{\tilde{r}})$
	31	Let $A, \dots$	Let $A_1, \dots$
69	2	$p(m, \dots, m)$	$p(m_1, \dots, m_j)$
	14	freeor	free or
	29	$A(\alpha, \dots$	$A(\alpha_1, \dots$
	36	$\{x_i\} \bar{a}(1)$	$\{x_i\} \bar{a}(1)$
	39	respectively.	respectively.
70	8	$\dots, \varphi_i$	$\dots, \bar{\varphi}_i$
	10	variable or type	variable of type
	22	$\varphi, \dots$	$\bar{\varphi}, \dots$
	23	contains	contains
	25	where φ_i	where $\bar{\varphi}_i$
	27	$A^e(\bar{\alpha}(n_i+1, n_i+1))$	$A^e(\bar{\alpha}(n_i+1, \dots, n_i+1))$
	35	$(E\bar{p}\mathfrak{G}(p))^e$ is $E\bar{p}\mathfrak{G}^e(\bar{p})$.	$(E\bar{p}\mathfrak{G}(p))^e$ is $E\bar{p}\mathfrak{G}^e(\bar{p})$.
	36	$\dots, \bar{\varphi}_i\} \mathfrak{F}^e$	$\dots, \bar{\varphi}_i\} \mathfrak{F}^e$
71	2	where α is	where α is
	9	$\dots, \varphi_i) T$	$\dots, \varphi_i) T$
	22	$\{\varphi(m+1)\} \bar{\alpha}(m+2) [(\oplus_m(\varphi(m)))^e]$	$\{\bar{\varphi}(m+1)\} \bar{\alpha}(m+2) [(\oplus_m(\varphi(m)))^e]$
	36	simple and similar,	simple or similar,
72	3	$\dots, (A_n(F))^e, \dots$	$\dots, (A_n(F))^e, \dots$
	16	in a proof-figure	in the proof-figure
	27	Hence $\forall \bar{p} \mathfrak{F}^e(\bar{p})$,	Hence $\forall \bar{p} \mathfrak{F}^e(\bar{p})$,
73	3	and $\varphi[V_1, \dots$,	and $\bar{\varphi}[V_1, \dots$,
	8	$\bar{\beta}[\psi]$,	$\bar{\beta}[\psi]$,
	9	$\vdash E\varphi(\varphi \equiv$	$\vdash E\varphi(\psi \equiv$
	17	$\dots, \varphi_i\}$	$\dots, \varphi_i\}$
	18	$\bar{\varphi}_i] \vdash \bar{\psi}$	$\bar{\varphi}_i] \vdash \bar{\psi}$
	19	$\dots, \bar{\gamma}_i]$ is $E\varphi_1 \dots \varphi_i$	$\dots, \bar{\gamma}_i]$ is $E\varphi_1 \dots E\psi_i$
	21	18.8.	8.18.
	25	$\vee \{ (\forall \psi_1 (\varphi_1 \equiv \neg \psi_1$	$\vee \{ (\forall \psi_1 \supset (\varphi_1 \equiv \psi_1$
	28	$\dots, V_i t]$	$\dots, V_i, t]$
	29	bound variable,	bound function,

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73	35	$\tilde{\alpha}_1 \equiv \tilde{\psi}_1 \equiv \wedge \dots$	$\tilde{\alpha}_1 \equiv \tilde{\psi}_1 \wedge \dots$
74	3	$\mathfrak{F}(\bar{\alpha})^\sigma$ and $(\mathfrak{B}(\bar{\alpha}))^\sigma$	$(\mathfrak{F}(\alpha))^\sigma$ and $(\mathfrak{B}(\alpha))^\sigma$
	5	$\mathfrak{F}(\bar{f})^\sigma$ and $(\mathfrak{B}(\bar{f}))^\sigma$	$(\mathfrak{F}(f))^\sigma$ and $(V(f))^\sigma$
	5	for f respectively.	for $\bar{f}$ respectively.
	11	denotes $\mathfrak{F}^\sigma(\alpha)$	denotes $\mathfrak{F}^\sigma[\bar{\alpha}]$
	18	in clear.	is clear.
	27	free special	free or special
	32	$\{\tilde{\alpha}[\psi_1, \dots, \tilde{\psi}, \} \vdash \tilde{\beta}[\tilde{\psi}_1, \dots, \tilde{\psi}_i])$	$\{\alpha[\tilde{\psi}_1, \dots, \tilde{\psi}_i] \vdash \tilde{\beta}[\tilde{\psi}_1, \dots, \tilde{\psi}_i]\},$
	33	$\varphi_i \equiv \tilde{\psi}_1 \wedge \dots \wedge \varphi_i \equiv \tilde{\psi}_i)$	$\varphi_1 \equiv \tilde{\psi}_1 \wedge \dots \wedge \varphi_i \equiv \tilde{\psi}_i),$
	39	$\forall \varphi_1 \dots \forall \varphi_1$	$\forall \varphi_1 \dots \forall \varphi_i$
	40	$\tilde{\varphi}_i \equiv \psi_i$	$\varphi_i \equiv \tilde{\psi}_i$
75	2	$\Gamma_e' \bar{a} \simeq \bar{b}$	$\Gamma_e', \bar{a} \simeq \bar{b}$
	4	$\mathfrak{F}(\alpha, \beta)$ is $\alpha \equiv \beta$ of	$\mathfrak{F}(\alpha, \beta)$ is $\alpha \equiv \beta$ of
	5	$\bar{a} \simeq \bar{b}$	$\bar{a} \simeq \bar{b}$
	6	$\vdash \tilde{\beta}[\bar{\varphi}],$	$\vdash \tilde{\beta}[\bar{\varphi}],$
	14	We proposition	We prove the proposition
	16	$(x=a)$ and $\Gamma_e' \rightarrow a^{\sigma\eta} \equiv \{x\}(x=a)$ are evident.	$(x=a)$ is evident.
	19	$\Gamma_e' \rightarrow$	$\Gamma_e' \rightarrow$
	27	$\Gamma_e' \rightarrow$	$\Gamma_e' \rightarrow$
76	5	$\Gamma_e' \rightarrow (T^{\sigma\eta}$	$\Gamma_e' \rightarrow T^{\sigma\eta}$
	20	If theh eight	If the height
	24	$\dots, \bar{\varphi}_j]$	$\dots, \bar{\varphi}_i]$
	24	$< n_i \wedge (\bar{\varphi}_i))$	$< n_i > (\bar{\varphi}_i))$
	27	$\vdash E\psi_1 \bar{\varphi}_1 \equiv$	$\vdash E\psi_1 (\bar{\varphi}_1 \equiv$
77	3	$\mathfrak{U}^{r\rho\eta\tau}$	$\mathfrak{U}^{\tilde{r}\rho\eta\tau}$
	10	$\vdash \mathfrak{U}^{\sigma\tau}.$	$\vdash \mathfrak{U}^{\sigma\eta}.$
	23	$(V_1^{\tilde{r}\rho\eta\tau}$	$(V_1^{\tilde{r}\rho\eta\tau}$
	23	$\dots, \psi_i))$	$\dots, \psi_i))$
	24	$\vee \{ \forall \psi_1 \rhd$	$\vee \{ (\forall \varphi_1 \rhd$
	27	$\rhd (V_1^{\eta\sigma}$	$\rhd (V_i^{\eta\sigma}$
78	1	axiom of $\Gamma_e'.$	axiom of $\tilde{\Gamma}_e'.$
	6	$\vdash \xi[\varphi])\}.$	$\vdash \xi[\varphi])\}.$
	7	$\bar{\xi}[\bar{\varphi}] \vdash \bar{\xi}[\bar{\psi}]$	$\bar{\xi}[\bar{\varphi}] \vdash \bar{\xi}[\bar{\psi}]$
	14	$\vee \{ \forall \bar{\varphi}^1 \rhd$	$\vee \{ (\forall \varphi^1 \rhd$
19, 22		$\bar{\alpha}_j \equiv \beta_j$	$\bar{\alpha}_j \equiv \bar{\beta}_j,$
	22	$\bar{\alpha}^1 \equiv \bar{\beta}^1$	$\bar{\alpha}^1 \equiv \bar{\beta}^1$
	26	$\dots, m_j >$	$\dots, m_j >$
	29	$n_1 + 1, \dots$	$n_1 + 1, \dots$
	30	$\dots \wedge F <$	$\dots \wedge \mathfrak{F} <$

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79	2	8.332.	8.33.2.
	6	$cl(\varphi_1) \dots cl(\varphi_i)$	$cl(\varphi_1) \wedge \dots \wedge cl(\varphi_i)$
	35	Let r be	Let $\tilde{r}$ be
	38	$\dots, \tilde{A}_N$	$\dots, A_N^{\tilde{r}}$
80	18	$\vdash e(x)$	$\vdash e(x)$
	19	$\vdash \neg \varphi[y]$	$\vdash \neg \varphi[y]$
	20	$M\{z\} \varphi[z] \vdash \neg \varphi[z] \wedge e(z)$	$M(z) \varphi[z] \vdash \neg \varphi[x] \wedge e(x)$
	33	$\wedge \psi[x])$	$\wedge \psi[x])$
	36	sequence A_1 ,	sequences are proved; A_1 ,
81	2, 7, 15	$\mathfrak{H}^{\rho\eta}$	$\mathfrak{H}^{\rho\tilde{\eta}}$
	4	$\dots, \overline{\varphi}, x)$	$\dots, \overline{\varphi}, x)$
	11	$\wedge \bar{x}[y] \vdash \text{Ey}(\bar{x} \equiv \tilde{y})$	$\wedge \bar{x}[y] \vdash \text{Ey}(\bar{x} \equiv \tilde{y})$
	25	$\overline{\varphi}[\bar{x}] \wedge \hat{e}[\bar{x}]$	$\overline{\varphi}[\bar{x}] \wedge \hat{e}(\bar{x})$
	28	$\rightarrow \tilde{\alpha}[a]$	$\rightarrow \tilde{\alpha}[\bar{a}]$
	35	$y \in z \vdash e(x))$	$y = z \vdash e(x)$
82	1	$\hat{e}(\bar{x})$	$\hat{e}(\bar{x})$
	3	$\bar{z} \in \bar{a}$	$\bar{z} \hat{\in} \bar{a}$
	7, 8	$\bar{y} = \bar{z}$	$\bar{y} \cong \bar{z}$
	19	$\bar{z} \in \alpha$	$\bar{z} \hat{\in} \alpha$
	19	$z \hat{\in} \alpha$	$\bar{z} \hat{\in} \alpha$
	22	$\hat{e}(\bar{z} \wedge \text{Ex}(\bar{z})[x])$	$\hat{e}(\bar{z}) \wedge \text{Ex}(\bar{z}[x])$
	22	$\bar{z} \hat{\in} \beta$	$\bar{z} \hat{\in} \beta$
	24	$\alpha[z]$	$\alpha[z]$
	29	its a strictly	its strictly
83	24	$\dots \varphi^i \tilde{\mathfrak{F}}^{\tilde{r}}$	$\dots, \varphi^i) \wedge \tilde{\mathfrak{F}}^{\tilde{r}}$
	26	$y \in z$	$y = z$
	32	$z, \alpha', \dots$	$z, \alpha^i, \dots$
	33	z, α^i, α^i	$z, \alpha^i, \dots, \alpha^i$
	36	$\tilde{\mathfrak{F}}^{\tilde{r}}$	$\tilde{\mathfrak{F}}^{\tilde{r}}$
84	4	$\dots, \alpha^i), (\alpha^i, \dots$	$\dots, \alpha^i), \alpha^i, \dots$
	6	$\dots, \varphi^i)$	$\dots, \varphi^i)$
	10	$\beta^i[\xi^i]) \rightarrow$	$\beta^i[\xi^i]) \rightarrow$
	11	$\alpha^i[\gamma^i]$	$\alpha^i[\gamma^i]$
	16	$cl(\alpha^i), \dots, cl(\beta^i)$	$cl(\alpha^i), cl(\beta^i)$
	20	$\wedge \forall \xi_1 (cl$	$\wedge \forall \xi_1^i (cl$
	22	(φ^i)	(φ^i)
	22	(ψ^i)	(ψ^i)
	26	$(\forall \varphi \dots$	$(\forall \varphi^i \dots$
	27	$\varphi^i \equiv \psi^i \wedge \dots$	$\varphi^i \equiv \psi^i \wedge \dots$
85	26	$(cl(s))^{\rho\tilde{\eta}}$	$(cl(s))^{\rho\tilde{\eta}}$

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85	26	$\dots, \varphi_i)))))^{\rho\tilde{\eta}}$.	$\dots, \varphi^i)))))^{\rho\tilde{\eta}}$.
	32	$\dots, \varphi^i x]$.	$\dots, \varphi^i, x]$.
85, 86		$\varphi_1, \varphi_i, \alpha_1$ etc.	$\varphi^1, \varphi^i, \alpha^1$ etc.
86	2	$\bar{\alpha}^1, \dots, \bar{\alpha}^i, x$	$\tilde{\alpha}^1, \dots, \tilde{\alpha}^i, x$
	6	$\wedge \tilde{\beta} \equiv y \wedge$	$\wedge \beta \equiv \tilde{y} \wedge$
	7	$\tilde{\beta}, \dots$	$\tilde{\beta}^1, \dots$
	10	$\dots, \tilde{\beta}, b]$,	$\dots, \tilde{\beta}^i, b]$,
	21	$y, \varphi', \dots$	$y, \varphi^1, \dots$
87	1	contain $\underline{\alpha}$ and $\mathbb{F}_e$ is	contain $=$ and $\mathbb{F}_e'$ is
	6	$\vdash (x)$	$\vdash e(x)$
	9	$M(z)\varphi \vdash [z] \wedge e(z)$	$M(z)\varphi[z] \vdash \varphi[x] \wedge e(x)$
	24	axioms are consistent in GLC without bound function, then the following axioms are consistent.	axioms are consistent in GLC.
	37	$\{x, y\}(x, y)$	$\{x, y\}(x=y)$
	38	8.8	9.8
88	19	$f(\bar{A}_1^{\rho'}, \dots$	$\tilde{f}(A_1^{\rho'}, \dots$
	24	$(\bar{\varphi}_1, \dots$	$(\bar{\varphi}_1, \dots$
	32	$\dots, B(\varphi_1, \dots$	$\dots, B_m(\varphi_1, \dots$
89	14	$\tilde{\alpha}[\tilde{\psi}_i], \dots$	$\tilde{\alpha}_1[\tilde{\psi}_1], \dots$
	18	$\rightarrow \forall \varphi_i \dots$	$\rightarrow \forall \varphi_1 \dots$
	29	$\forall \psi \mathfrak{F}^\sigma(\tilde{\psi})$ or $\text{E}\psi \mathfrak{F}^{\sigma'}(\tilde{\psi})$	$\forall \psi \mathfrak{F}^{\sigma'}(\tilde{\psi})$ or $\text{E}\psi \mathfrak{F}^{\sigma'}(\tilde{\psi})$
	40	defin eA	define A
	40	$\tilde{f}$	$\tilde{\tilde{f}}$
90	16	$(\tilde{\varphi}_1 \equiv \tilde{\psi}_1 \wedge$	$(\varphi_1 \equiv \tilde{\psi}_1 \wedge$
	16	$(\varphi_i \equiv \psi_i \wedge \mathfrak{F}^{\sigma'''}(\tilde{\psi}_i)))$.	$(\varphi_i \equiv \tilde{\psi}_i \wedge \mathfrak{F}^{\sigma'''}(\tilde{\psi}_i)))$]
	29	$\forall \varphi_1, \dots, \forall \varphi_i$	$\forall \varphi_1 \dots \forall \varphi_i$
	34	$\bar{\alpha}$	$\bar{\alpha}$
	38	9.21.1	9.22.1
91	2	$\varphi[x]$	$\varphi[x]$
	13	$\{\tilde{\psi}_j\} \psi_j \tilde{\psi}_j \equiv \tilde{\psi}_j \text{E} \wedge$	$\{\tilde{\psi}_j\} \text{E} \tilde{\psi}_j (\tilde{\psi}_j \equiv \tilde{\psi}_j \wedge$
	15	$\rightarrow \tilde{f}(\alpha, \dots$	$\rightarrow \tilde{f}(\alpha_1, \dots$
	17	$(\tilde{\beta}, \dots$	$(\tilde{\beta}_1, \dots$
92	4	$\tilde{f}$	$\tilde{\tilde{f}}$
	19	$(\bar{\varphi}_1, \dots$	$(\bar{\varphi}^1, \dots$
	24	$(\bar{\varphi}', \dots$	$(\bar{\varphi}^1, \dots$
	24	$(\tilde{\psi}', \dots$	$(\tilde{\psi}^1, \dots$
93	19	$(\bar{y}[z]) \wedge \bar{x}[z] \vdash \bar{\varphi}[\bar{y}] \wedge \hat{e}(y)$.	$(\bar{y}[z] \wedge \bar{x}[z]) \vdash \bar{\varphi}[\bar{y}] \wedge \hat{e}(\bar{y})$.
94	1	$\text{E}y(y \in x) \wedge$	$\text{E}y(y \in x) \wedge$

Pages	Lines	Errata	Corrections
94	1	$y \in z$	$y = z$
	23	$\wedge \varphi[a, l] \wedge \forall u \forall v (\varphi[u, v] \varphi$	$\wedge \varphi[a, 1] \wedge \forall u \forall v (\varphi[u, v] \vdash \varphi$
95	25	7.24	7.22
	34	$\forall x(g) \vdash$	$\forall x(g(x) \vdash$
	35	$\wedge g(a))$	$\wedge g(z))$
96	18	Matn.	Math.